

Figure 1

0. Initialize:  $S = \emptyset, sum[1..I, 1..Y] = 1, z[1..I] = Y$
1. Gain computation:  
 $MaxGain = 0$   
**for**  $f$  **in** feature space  $F$  **do**  
 $\hat{\alpha} = \arg\max_{\alpha} G_{S \cup f}(\alpha)$   
 $\hat{g} = \max_{\alpha} G_{S \cup f}(\alpha)$   
**if**  $MaxGain < \hat{g}$  **then**  
 $MaxGain = \hat{g}$   
 $f_* = f$   
 $\alpha_* = \hat{\alpha}$
2. Feature selection:  
 $S = S \cup \{f_*\}$   
 $F = F - \{f_*\}$
3. **if** termination condition is met, **then** stop
4. Model adjustment:  
**for** instance  $i$  such that there is  $y$   
**do** and  $f_*(x_i, y) = 1$   
 $z[i] -= sum[i, y]$   
 $sum[i, y] \times = \exp(\alpha_*)$   
 $z[i] += sum[i, y]$
5. **go to** step 1.

Figure 2

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0. Initialize:  $S = \emptyset, sum[1..I, 1..Y] = 1,$ 
1. Gain computation:
    $z[1..I] = Y, g[1..F] = \{g(1,0), \dots, g(F,0)\}$ 
    $MaxGain = 0$ 
   Loop
      $f_j = \arg \max_{f \in F} \{g[1, \dots, |F|]\}$ 
     if  $g[f] \leq MaxGain$  then go to step 2
     else
        $\hat{\alpha} = \arg \max_{\alpha} G^{S \cup f}(\alpha)$ 
        $\hat{g} = \max_{\alpha} G^{S \cup f}(\alpha)$ 
        $g[f] = \hat{g}$ 
       if  $MaxGain < \hat{g}$  then
          $MaxGain = \hat{g}$ 
          $f^* = f_j$ 
          $\alpha^* = \alpha$ 
2. Feature selection:
    $S = S \cup \{f^*\}$ 
    $F = F - \{f^*\}$ 
3. if termination condition is met, then stop
4. Model adjustment:
   for instance  $i$  such that there is  $y$ 
     and  $f(x_i, y) = 1$  do
        $z[i] -= sum[i, y]$ 
        $sum[i, y] \times = \exp(\alpha^*)$ 
        $z[i] += sum[i, y]$ 
5. go to step 1.

```

Figure 3

## Initialization

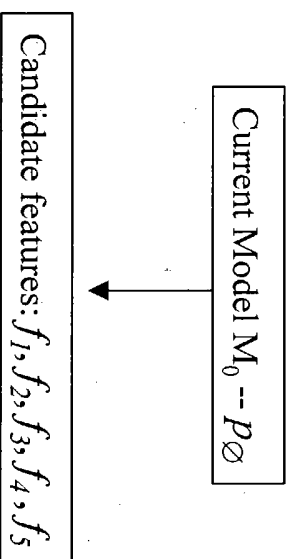


Figure 4

IFS  $k=0$

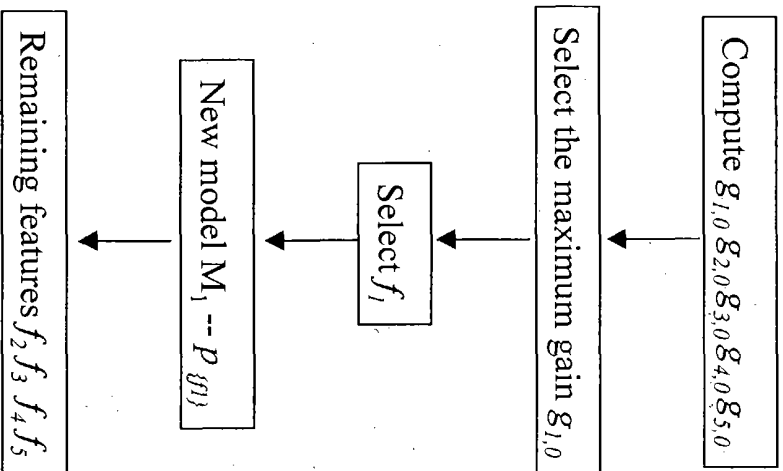


Figure 5A

SGC  $k=0$

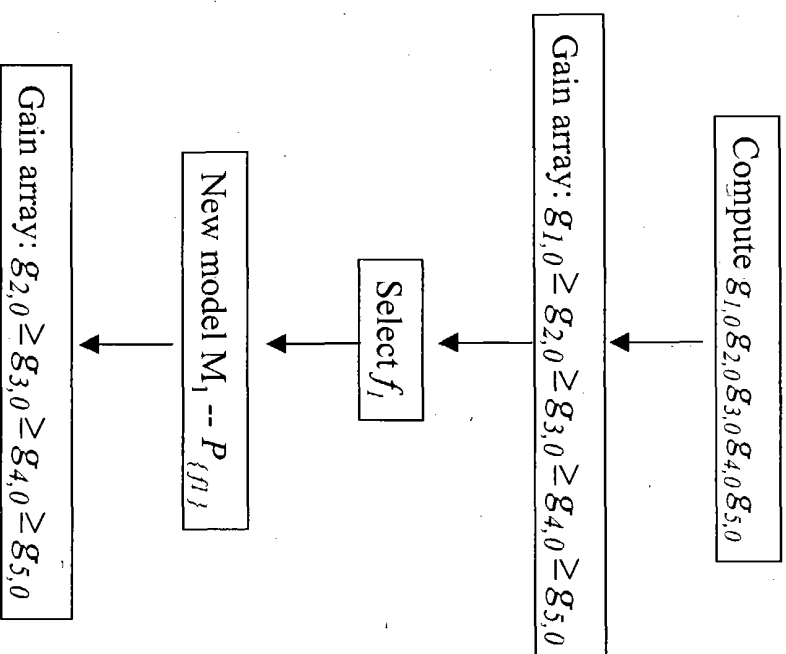


Figure 5B

IFS  $k=1$

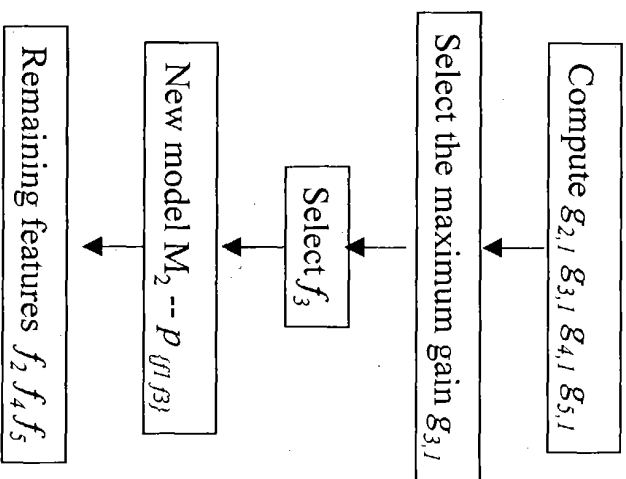


Figure 6A

SGC  $k=1$

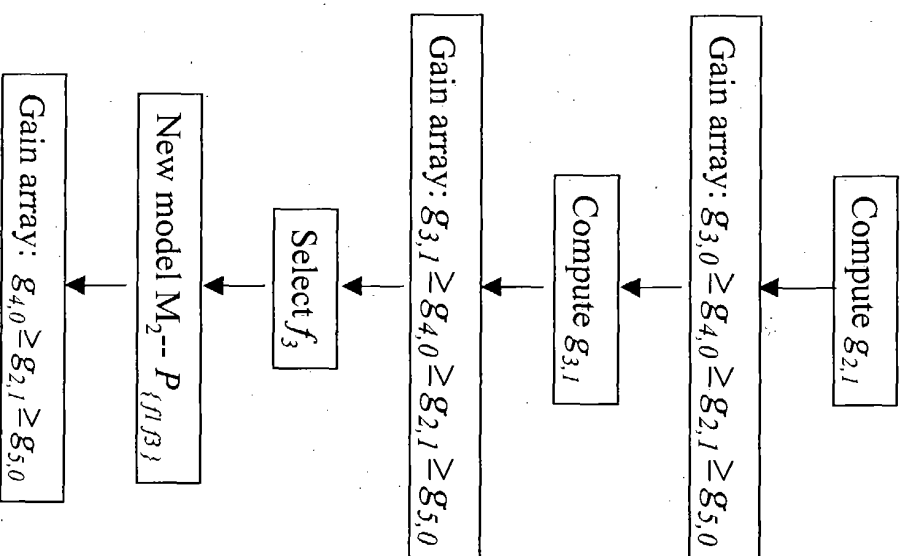


Figure 6B

IFS  $k=2$

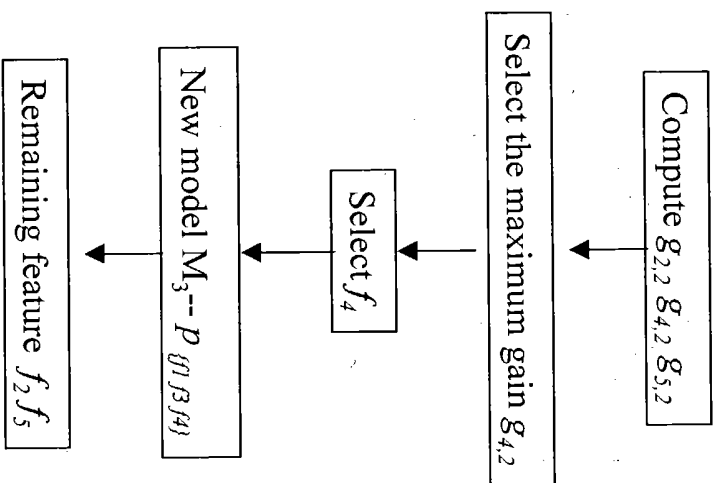


Figure 7A

SGC  $k=2$

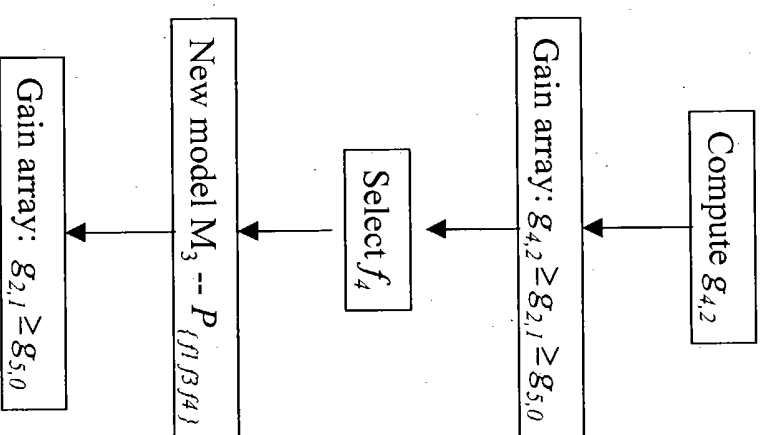


Figure 7B

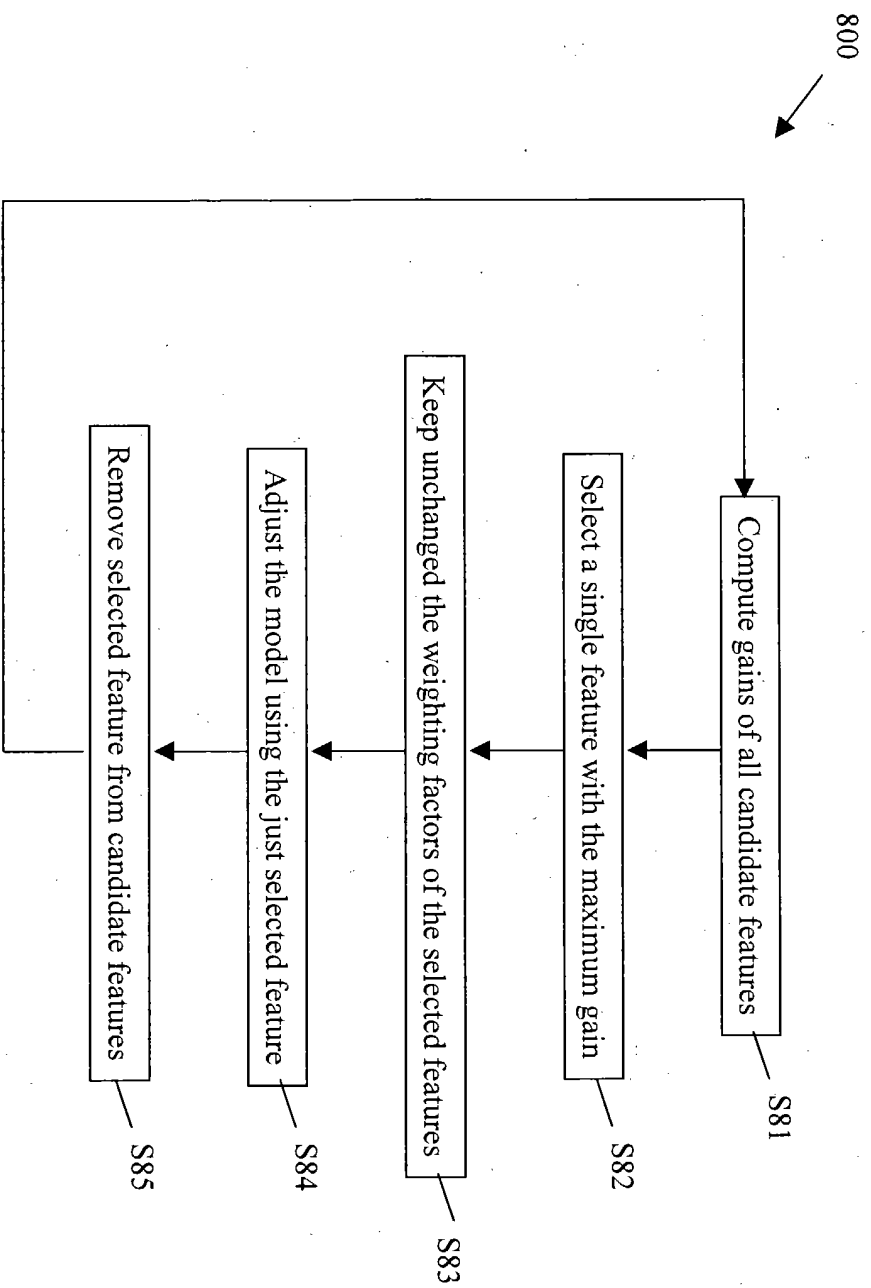


Figure 8

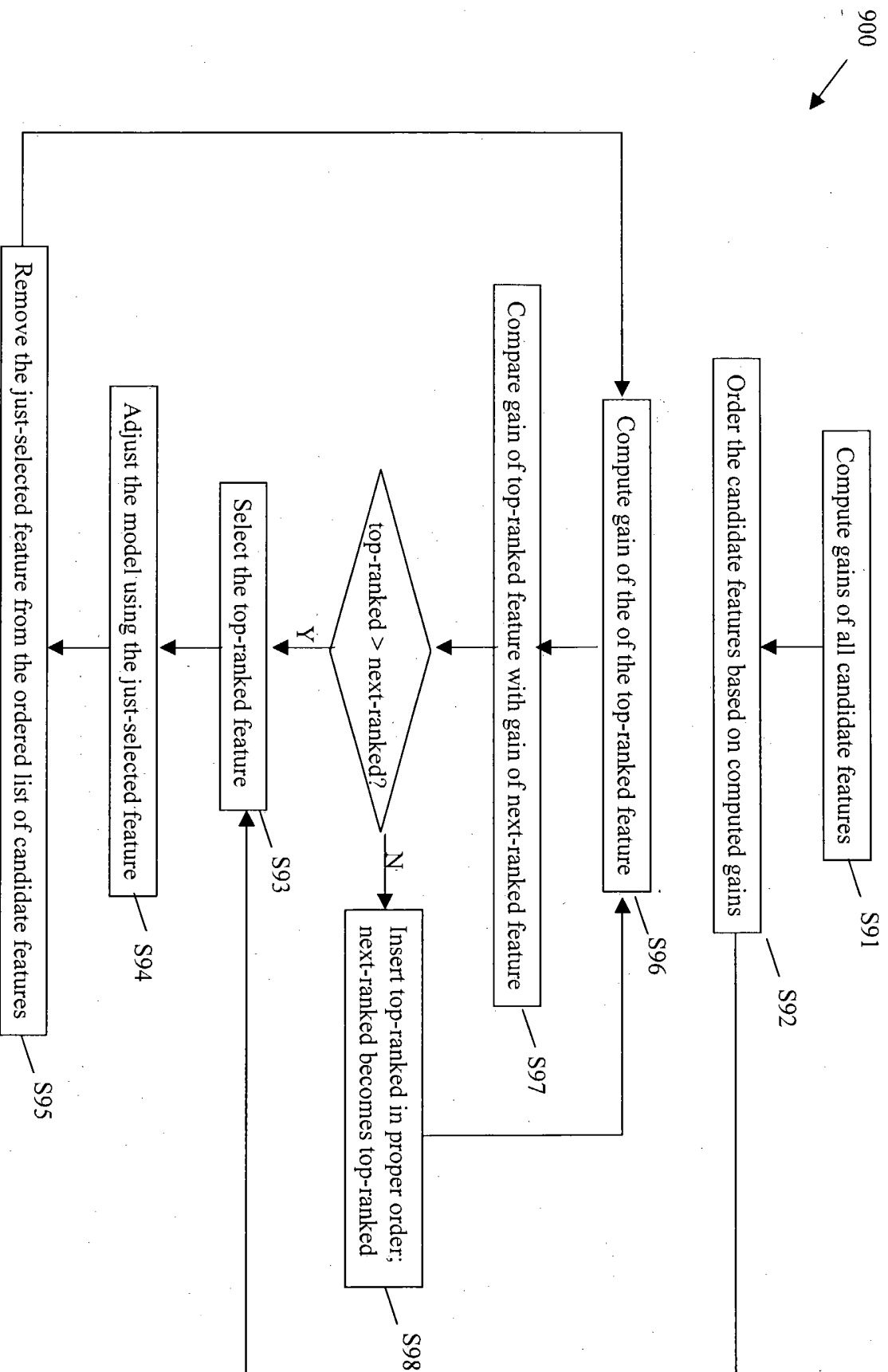


Figure 9

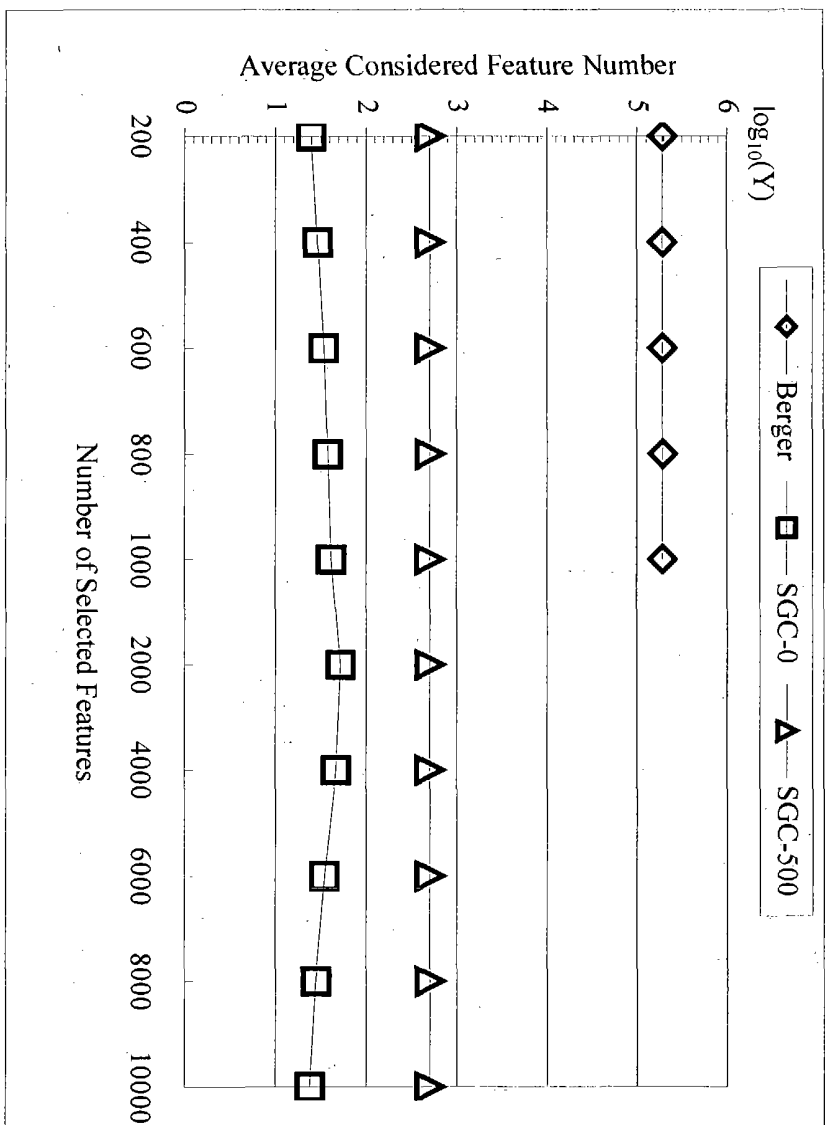


Figure 10

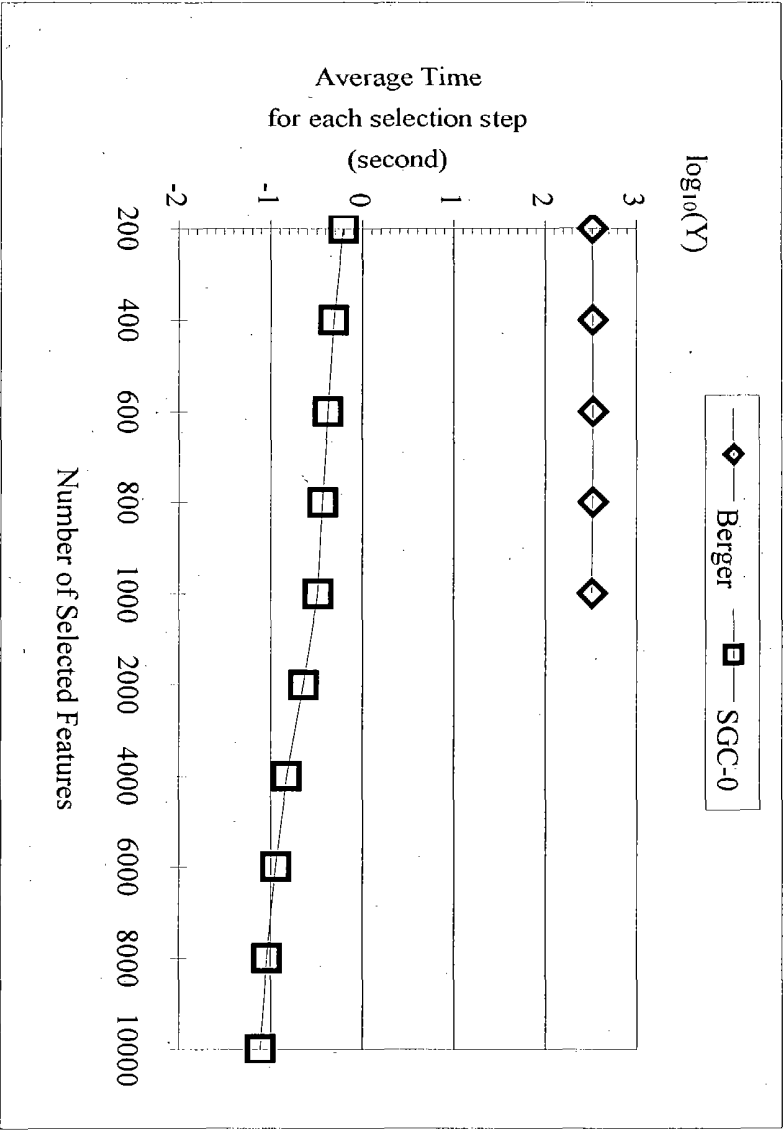


Figure 11

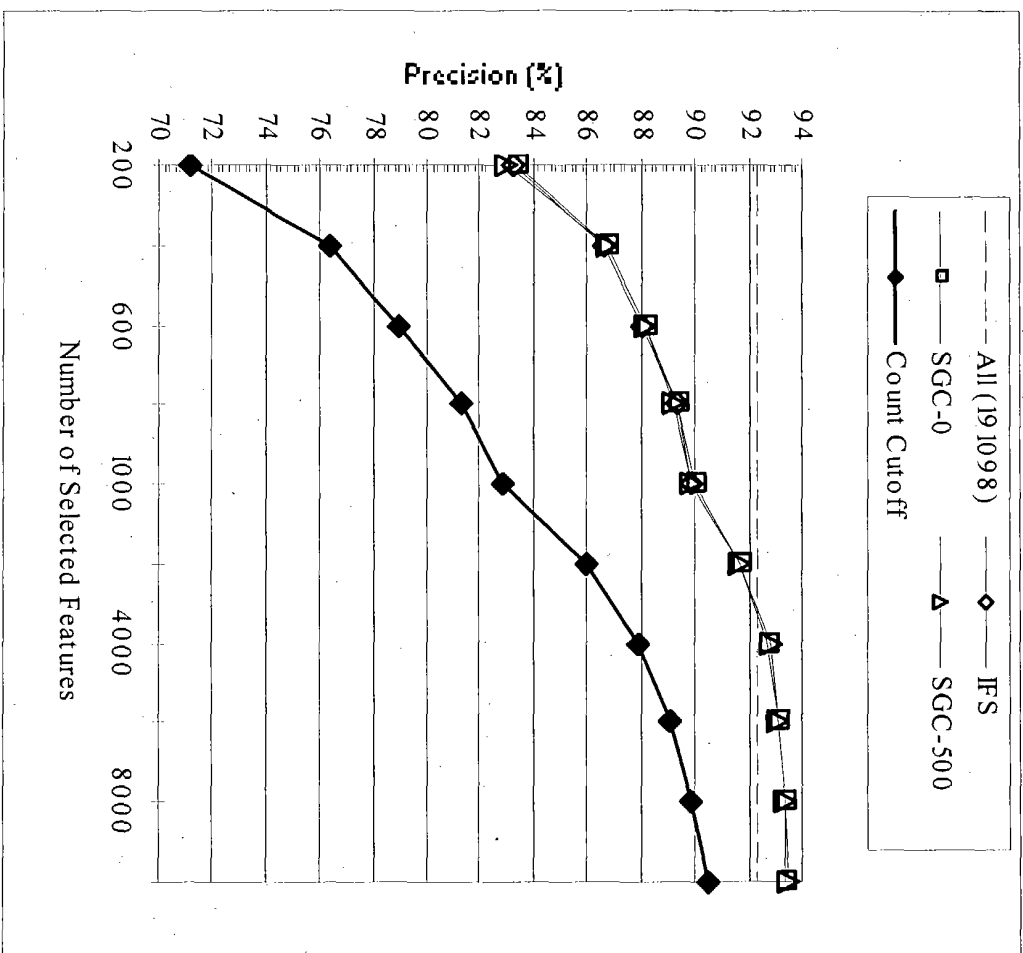


Figure 12